The Effects Of Monetary Policy Shocks In Peru: Semi-Structural Identification Using A Factor-Augmented Vector Autoregressive Model

Erick Lahura*

* Central Bank of Peru and LSE

DT. N° 2010-008
Serie de Documentos de Trabajo
Working Paper series
Julio 2010

Los puntos de vista expresados en este documento de trabajo corresponden al autor y no reflejan necesariamente la posición del Banco Central de Reserva del Perú.

The views expressed in this paper are those of the author and do not reflect necessarily the position of the Central Reserve Bank of Peru.
THE EFFECTS OF MONETARY POLICY SHOCKS IN PERU:
SEMI-STRUCTURAL IDENTIFICATION USING A FACTOR-AUGMENTED
VECTOR AUTOREGRESSIVE MODEL

Erick W. Lahura¹
(Central Bank of Peru and LSE)
May, 2010

Abstract

The main goal of this paper is to analyze the effects of monetary policy shocks in Peru, taking into account two important issues that have been addressed separately in the VAR literature. The first one is the difficulty to identify the most appropriate indicator of monetary policy stance, which is usually assumed rather than determined from an estimated model. The second one is the fact that monetary policy decisions are based on the analysis of a wide range of economic and financial data, which is at odds with the small number of variables specified in most VAR models. To overcome the first issue, Bernanke and Mihov (1998) proposed a semi-structural VAR model from which the indicator of monetary policy stance can be derived rather than assumed. Meanwhile, the data problem has been resolved recently by Bernanke, Boivin and Eliasz (2005) using a Factor-Augmented Vector Autoregressive (FAVAR) model. In order to capture these two issues simultaneously, we propose an extension of the FAVAR model that incorporates a semi-structural identification approach a la Bernanke and Mihov, resulting in a VAR model that we denominate SS-FAVAR. Using data for Peru, the results show that the SS-FAVAR’s impulse-response functions (IRFs) provide a more coherent picture of the effects of monetary policy shocks compared to the IRFs of alternative VAR models. Furthermore, it is found that innovations to nonborrowed reserves can be identified as monetary policy shocks for the period 1995-2003.

Keywords: VAR, FAVAR, Monetary Policy, Semi-Structural Identification.
JEL classification: C32, C43, E50, E52, E58

¹ The author will like to thank Paul Castillo, Alberto Humala and Marco Vega for their comments and suggestions. The views in this paper are those of the author and do not necessarily represent those of the Central Bank of Peru or LSE. Comments are very welcome. E-mail: erick.lahura@bcap.gob.pe.
1. Introduction

In economics, the Vector Autoregressive (VAR) framework is the standard tool to analyze the effects of monetary policy shocks. This approach was first proposed by Sims (1980) and applied to monetary policy analysis by authors like Bernanke and Blinder (1992), Sims (1992), Christiano and Eichenbaum (1992), Gordon and Leeper (1994), Strongin (1995), Lastrapes and Selgin (1995) and Gerlach and Smets (1995), Leeper, Sims and Zha (1996), Bernanke and Mihov (1998), Sims and Zha (1998), Christiano, Eichenbaum and Evans (1999), among others.

Two main issues have surrounded the analysis of the effects of monetary policy shocks using VAR models: (i) the difficulty in identifying the most appropriate indicator of monetary policy stance and thus identifying monetary policy shocks, and (ii) the correct specification of the empirical model, which is restricted by the limited number of variables that can be included in a standard VAR.

In general, the indicator of monetary policy stance is assumed rather than determined from an estimated model, and is usually identified through changes in an interest rate or monetary aggregate under the control of the central bank. However, Bernanke and Mihov (1998) proposed a VAR-based methodology in which the indicator of monetary policy stance is obtained from an estimated model of the central bank’s operating procedure. In particular, they employed a ‘semi-structural’ VAR model where there are some contemporaneous identification restrictions on a set of variables that describe the market for commercial bank reserves, leaving the relationship among the rest of macroeconomic variables unrestricted. We refer to this as the "semi-structural" identification approach. The main result of this approach is that the indicator of monetary policy stance may not be uniquely determined by one variable (e.g. interest rate or some monetary aggregate) but may be related to a group of variables, depending on the central bank's operating procedures.

---

2 As stated by Bernanke and Mihov (1998) and Christiano et al. (1999), the VAR approach focuses on policy shocks and not the systematic component of monetary policy or “policy rule”. The main reason is that tracing the dynamic response of the economy to a monetary policy innovation allows to observe the effects of policy changes under minimal identifying assumptions. An alternative approach to analyze monetary policy is the so-called “narrative approach” (Friedman and Schwartz, 1963; Romer and Romer, 1989). See Christiano et al. (1999) for a good survey.
On the other hand, the fact that monetary policy decisions are based on the analysis of a wide range of economic and financial data is at odds with the specification of a small number of variables in most VAR models. In principle, the more variables that are specified in the VAR, the less degrees of freedom will remain and the less precise (higher standard errors) the estimates will be. This is the main reason why most VAR models are restricted to a reduced number of variables (up to 6 in most cases).

Bernanke et al. (2005) point out two main problems that could arise using the standard VAR approach that considers only a small number of variables. First, it is possible that policy shocks are measured with error, mainly because the limited number of variables specified in a VAR may not reflect the full spectrum of information used by central banks and private agents. In this case, it would not be rare to observe some of the so-called “puzzles” that arise in standard VAR analysis. Second, the impulse-response analysis is restricted to the variables specified in the VAR model, which in turn raises two problems. On the one hand, it may be the case that the specified variables do not correspond to the theoretical ones. On the other hand, it is often relevant to analyze the response of a wide range of variables that summarize the state of the economy.

One way to deal with these problems is combining the standard VAR analysis with “factor analysis”, as recently proposed by Bernanke et al. (2005), which results in the so-called Factor Augmented Vector Autoregression (FAVAR) model. Stock and Watson (2002) and Bernanke and Boivin (2003), show that factor analysis allows us to summarize a large amount of information in a small number of factors. Thus, including these “few” factors in standard VAR methodology makes feasible the inclusion of the whole range of economic information used by central banks into VAR analysis.

In the case of Peru, the analysis of the effects of monetary policy using VAR analysis has faced the same two problems. On one hand, the difficulty to identify the indicator of monetary policy stance has been mainly related to: (a) the use of different operational procedures and instruments following the period of hyperinflation (1987-1990), featuring the announcement of an interest rate corridor in 2001 and the use of an

---

3 For instance, detrended real output (obtained using HP filtering in many cases) may not correspond to the theoretical “output gap”.

3
official interest rate as the policy instrument in September 2003, and (b) the change from a monetary targeting regime -implemented in 1991\(^4\)- to an explicit inflation targeting regime in January 2002. On the other hand, the partially dollarized nature of the economy means that an even greater number of variables need to be specified compared to the existing VAR models, an issue that falls into the second problem discussed above.

Previous research on monetary policy in Peru based on VAR models assume \textit{a priori} an indicator of monetary policy and restrict the number of variables employed in the analysis. León (1999), using different VAR models with 5 or less variables and a Cholesky identification strategy, provides evidence that monetary aggregates affect inflation; in particular, he finds that a change in the growth rate of M1 raises inflation with a time lag of between 4 and 14 months. Quispe (2000) and Castillo and Pérez (2010) apply the Bernanke and Mihov approach taking into account the dollarized nature of the Peruvian economy. In particular, Quispe (2000) finds that the high degree of asset dollarization does not affect the power of monetary policy using monetary aggregates, showing that money affects inflation between 8 to 16 months after the shock. Rossini (2001), using a standard VAR with five variables, finds that fifty percent of a shock to monetary base is transmitted to inflation after 5 quarters. Finally, Winkelried (2004), using a cointegrated-VAR approach with 7 variables and assuming that the interest rate can measure the monetary policy stance from 1993 to 2003, finds that a shock to interest rate affects output and inflation after one year, considering data from 1993 to 2003.

Our aim is to contribute to the analysis of monetary policy in Peru taking into account the two main issues mentioned above simultaneously. In order to do it, we propose an extension of the FAVAR model that incorporates a semi-structural identification approach \textit{a la} Bernanke and Mihov, resulting in a VAR model that we denominate SS-FAVAR. Using data for Peru, the results show that the SS-FAVAR's impulse-response functions (IRFs) provide a more coherent picture of the effects of monetary policy shocks compared to the IRFs of alternative VAR models.

\(^4\) Armas et al. (2001).
The paper is structured as follows. In section 2 we present and discuss the semi-structural identification framework proposed by Bernanke and Mihov (1998). The FAVAR model proposed by Bernanke, et al. (2005) is presented in section 3. In section 4, the FAVAR model is extended using Bernanke and Mihov's identification strategy, obtaining what we denominate a SS-FAVAR model. In section 5 we present and analyze the main results obtained from these three approaches. Finally, we summarize our main conclusions in section 6.
2. Structural (non recursive) VAR identification and the market for bank reserves

There are many investigations that have studied the impact of monetary policy shocks based on assumptions about the central bank’s operating procedures in the market for bank reserves. Some important papers for the U.S. economy are Bernanke and Blinder (1992), Christiano and Eichenbaum (1992), Cosimano and Sheehan (1994) and Strongin (1995), and Bernanke and Mihov (1998) who proposed a unified framework that nests all these previous studies, based on a small semi-structural model for bank reserves. Despite some potential weakness of this approach (see Christiano et al. 1999), it is still quite useful to understand the effects of monetary policy shocks on the economy.

2.1. Basic Framework: Unrestricted VAR

It is assumed that the structure of the economy can be described by the following unrestricted dynamic model:

\[
Y_t = \sum_{i=0}^{q} B_i Y_{t-i} + \sum_{i=0}^{q} C_i P_{t-i} + A^y v^y_t \\
P_t = \sum_{i=0}^{q} D_i Y_{t-i} + \sum_{i=0}^{q} G_i P_{t-i} + A^p v^p_t
\]

where \(Y_t\) is a vector of macroeconomic variables (non policy variables), and \(P_t\) is a vector of possible monetary policy indicators, both vectors dated at time \(t\). The vectors \(v^y_t\) and \(v^p_t\) contain structural (or primitive) disturbances which are assumed to be mutually uncorrelated; the presence of the matrices \(A^y\) and \(A^p\) imply that shocks may enter into more than one equation.

Equation (2) states that the set of policy indicators \(P_t\) depend on current and lagged values of \(Y_t\) and \(P_t\), and on a set of disturbances \(v^p_t\). Bernanke and Mihov (1998) assume that one element of the vector \(v^p_t\) is a money supply shock or policy disturbance \(v^s_t\), while the remaining elements of \(v^p_t\) may include shocks to money demand or other possible disturbances that can affect the policy indicators. Equation (1) allows the
nonpolicy variables $Y_t$ to depend on current and lagged values of $Y_t$ and $P_t$. Thus the system (1)-(2) is not identified.

One possible identification procedure is to allow the nonpolicy variables to depend only on lagged values of policy variables, which implies that $C_0 = 0^5$. Under this assumption, the system is given by:

(1a) $Y_t = \sum_{i=0}^{q} B_i Y_{t-i} + \sum_{i=1}^{q} C_i P_{t-i} + A^Y v^Y_t$

(2) $P_t = \sum_{i=0}^{q} D_i Y_{t-i} + \sum_{i=0}^{q} G_i P_{t-i} + A^P v^P_t$

To analyze the dynamic responses of variables to a policy shock $\nu^*$, we can rewrite the system (1a)-(2) as a standard VAR, with only lagged variables on the right-hand side:

(3) $\begin{bmatrix} Y_t \\ P_t \end{bmatrix} = \Phi(L) \begin{bmatrix} Y_t \\ P_{t-1} \end{bmatrix} + u_t$

where $\Phi(L)$ is a conformable lag polynomial of finite order “q”.

2.2. Identification of policy shocks: the market for bank reserves

Let $u^p_t$ be the portion of the VAR residuals in the policy block that is orthogonal to the VAR residuals in the non-policy block, which satisfies:

(4) $u^p_t = (I - G_0)^{-1} A^p v^p_t$

or, dropping subscripts and superscripts:

(5) $u = Gu + Av$

---

5 This is analogous to the identifying assumption made in Bernanke and Blinder (1992), where $P_t$ is a scalar rather than a matrix.
Equation (5) is a standard structural VAR (SVAR) system, which relates observable VAR-based residuals $u_t$ to unobserved structural shocks $v_t$, one of which is the policy shock $v_t^p$. Thus, given $C_0 = 0$, the identification of the monetary policy shock $v^p$ implies the identification of matrixes $G$ and $A$.

For this purpose, and following Bernanke and Mihov (1998) and Christiano et al. (1999), we consider the following model (in innovation form) that describes the market for bank reserves:

\[ u_{TR} = -\alpha u_{BR} + v^d \]
\[ u_{NBR} = \phi^d v^d + \phi^b v^b + v^s \]
\[ u_{BR} = \beta(u_{BR} - u_{DISC}) - \gamma u_{NBR} + v^b \]

where $u$ denotes an (observable) VAR residual and $v$ indicates an (unobservable) structural disturbance.

The banks’ total demand for reserves\(^6\) is represented by equation (6). In this equation, the innovation in the demand for total reserves $u_{TR}$ depends (negatively) on the innovation in the interbank interest rate (the price of reserves) and on a demand disturbance $v^d$.

The behaviour of the central bank is described by equation (7). It is assumed that the central bank observes and responds to shocks to the total demand for reserves and to the demand for borrowed reserves, and to exogenous “monetary policy” shocks $v^s$.

Finally, equation (8) represents the banks’ demand for borrowed reserves\(^8\). The innovation in the demand for borrowed reserves $u_{BR}$ depends positively on the

---

\(^6\) Total reserves is the amount of money held at the central bank by the private banks. Borrowed reserves is the amount of money borrowed by banks through the central bank’s discount window, in order to meet the required level. Nonborrowed reserves is the difference between total reserves minus borrowed reserves.

\(^7\) The interbank interest rate is analogous to the federal fund rate in FED system.

\(^8\) Borrowed reserves is defined as the portion of reserves that banks choose to borrow at the discount window.
innovation in the interbank interest rate $u_{BR}$ (the rate at which borrowed reserves can be 
relent), negatively on both the discount rate innovation $u_{DISC}$ (the cost of borrowed 
reserves), and nonborrowed reserves innovation $u_{NBR}$, and on a borrowing disturbance $v^b$. Given that nonborrowed reserves are the difference between total reserves and 
borrowed reserves, the innovation in nonborrowed reserves $u_{NBR}$ is $u_{TR} - u_{BR}$, so 
equation (8) can be written as:

\[(8a) \quad u_{TR} - u_{NBR} = \beta(u_{BR} - u_{DISC}) - \gamma u_{NBR} + v^b\]

Using the conventional assumption that innovations to the discount rate are 
zero\(^{10}\), we can re-write (6), (7) and (8a) in terms of $u_{TR}$, $u_{NBR}$, $u_{IR}$ in the 
following structural form:

\[
\begin{bmatrix}
  u_{TR} \\
  u_{NBR} \\
  u_{IR}
\end{bmatrix}
= 
\begin{bmatrix}
  0 & 0 & -\alpha \\
  0 & 0 & 0 \\
  -1 & (1 - \gamma) & (1 + \beta)
\end{bmatrix}
\begin{bmatrix}
  u_{TR} \\
  u_{NBR} \\
  u_{IR}
\end{bmatrix}
+ 
\begin{bmatrix}
  1 & 0 & 0 \\
  \phi^d & 1 & 1 \\
  0 & 0 & 1
\end{bmatrix}
\begin{bmatrix}
  v^d \\
  v^s \\
  v^b
\end{bmatrix}
\]

or:

\[(9) \quad u = Gu + Av
\]

The solution of this system in terms of innovations\(^{11}\) is:

\[
\begin{bmatrix}
  u_{TR} \\
  u_{NBR} \\
  u_{IR}
\end{bmatrix}
= 
\begin{bmatrix}
  \frac{\beta + \alpha \phi^d (1 - \gamma)}{\alpha + \beta} & \frac{\alpha (1 - \gamma)}{\alpha + \beta} & \frac{\alpha [\phi^b (1 - \gamma) + 1]}{\alpha + \beta} \\
  -\phi^d & 1 & \phi^b \\
  -\frac{\phi^d (1 - \gamma) + 1}{\alpha + \beta} & \gamma - 1 & -\frac{\phi^b (1 - \gamma) + 1}{\alpha + \beta}
\end{bmatrix}
\begin{bmatrix}
  v^d \\
  v^s \\
  v^b
\end{bmatrix}
\]

\(^9\) Christiano et al. (1999) consider this term based on the results of standard dynamic models of the market 
for reserves (e.g. Goodfriend (1983), which provide evidence that $\gamma \neq 0$. However, Bernanke and Mihov 
assume that $\gamma = 0$.

\(^{10}\) See Bernanke and Mihov (1998), p. 877, footnote 10, for a discussion of this simplifying assumption.

\(^{11}\) It is assumed that the supply of nonborrowed reserves plus borrowings must equal the total demand for 
reserves, as in Bernanke and Mihov (1998).
or:

\[(10) \quad u = ([I - G]^{-1} A)v\]

If we know the values of the parameters \(\alpha, \beta, \phi^d, \phi^b\) and \(\gamma\) (and hence the matrix \([I - G]^{-1} A\) ), using the estimated reduced-form residuals \(u' = [u_{TR} \quad u_{NBR} \quad u_{BR}]\), we can obtain an estimation of the structural shocks \(v' = [v^d \quad v^s \quad v^b]\) calculating \(v = ([I - G]^{-1} A)^{-1} u :\)

\[
\begin{bmatrix}
  v^d \\
v^s \\
v^b
\end{bmatrix} =
\begin{bmatrix}
  1 & 0 & \alpha \\
-(\phi^d + \phi^b) & (1 + \phi^b) - \phi^b \gamma & -(\alpha \phi^d - \beta \phi^b) \\
1 & \gamma - 1 & -\beta
\end{bmatrix}
\begin{bmatrix}
u_{TR} \\
u_{NBR} \\
u_{IR}
\end{bmatrix}
\]

In particular, the monetary policy shock \(v^s\), which is given by:

\[(12) \quad v^s = -(\phi^d + \phi^b)u_{TR} + (1 + \phi^b[1 - \gamma])u_{NBR} - (\alpha \phi^d - \beta \phi^b)u_{IR}\]

The model represented by (12) has eight unknown parameters: \(\alpha, \beta, \phi^d, \phi^b, \gamma\) and the variances of the three structural shocks. These parameters can be calculated from the estimated variance covariance matrix of the reduced-form residuals vector \(u\), which is diagonal and has six different covariances; thus, the model is “underidentified”: we have only six pieces of information to find eight unknowns. Then, in order to identify the model we need at least two more restrictions (if this is the case then model is exactly identified). However, Bernanke and Mihov (1998) assume implicitly that \(\gamma = 0\), so the structural model becomes:

\[
\begin{bmatrix}
u_{TR} \\
u_{NBR} \\
u_{IR}
\end{bmatrix} =
\begin{bmatrix}
  0 & 0 & -\alpha \\
0 & 0 & 0 \\
-1 & 1 & (1 + \beta)
\end{bmatrix}
\begin{bmatrix}
u_{TR} \\
u_{NBR} \\
u_{IR}
\end{bmatrix} +
\begin{bmatrix}
  1 & 0 & 0 \\
\phi^d & 1 & \phi^b \\
0 & 0 & 1
\end{bmatrix}
\begin{bmatrix}
v^d \\
v^s \\
v^b
\end{bmatrix}
\]

or:
(9a) \[ u = Gu + Av \]

which implies:

\[
\begin{bmatrix}
  u_{TR} \\
  u_{NBR} \\
  u_{IR}
\end{bmatrix} = 
\begin{bmatrix}
  \left( \frac{\alpha}{\alpha + \beta} \right) (1 - \phi^d) + 1 & \left( \frac{\alpha}{\alpha + \beta} \right) & \left( \frac{\alpha}{\alpha + \beta} \right) (1 + \phi^b) \\
  -\phi^d & 1 & \phi^b \\
  \left( \frac{1}{\alpha + \beta} \right) (1 - \phi^d) & -\left( \frac{1}{\alpha + \beta} \right) & -\left( \frac{1}{\alpha + \beta} \right) (1 + \phi^b)
\end{bmatrix}
\begin{bmatrix}
v^d \\
v^s \\
v^b
\end{bmatrix}
\]

and in terms of the structural disturbances:

(11a) \[
\begin{bmatrix}
v^d \\
v^s \\
v^b
\end{bmatrix} = 
\begin{bmatrix}
1 & 0 & \alpha \\
\left(\phi^d + \phi^b\right) & 1 + \phi^b & -(\alpha \phi^d - \beta \phi^b) \\
1 & -1 & -\beta
\end{bmatrix}
\begin{bmatrix}
u_{TR} \\
u_{NBR} \\
u_{IR}
\end{bmatrix}
\]

In this case, the monetary policy shock \( v^s \) is given by:

(12a) \[ v^s = -(\phi^d + \phi^b) u_{TR} + (1 + \phi^b) u_{NBR} - (\alpha \phi^d - \beta \phi^b) u_{IR} \]

Now, the structural model has only seven unknown parameters: \( \alpha, \beta, \phi^d, \phi^b \) and the variances of the three structural shocks, so we need only one restriction to exactly identify the model. In this context, Bernanke and Mihov (1998) consider five alternative (non-recursive) identification schemes which correspond to four indicators of policy proposed in the literature (each of which provides overidentification) and one just-identified alternative which allows a general policy indicator. We consider the following ones:

- **Model 1: FFR (federal funds rate).** Analogous to the one used in Bernanke and Blinder (1992). According to this model, if the central bank targets the interbank interest rate (federal fund rate in the case of U.S.), then the central bank offsets shocks to total reserves demands and borrowing demands. This case corresponds to the overidentifying assumptions \( \phi^d = 1 \) and \( \phi^b = -1 \), which implies that the
monetary policy shock is proportional to the innovation to the interbank interest rate: \( \nu^t = -(\alpha + \beta)u_{IIR} \).

- **Model 2: NBR (nonborrowed reserves).** In this model, it is assumed that innovations to nonborrowed reserves mainly reflect exogenous shocks to monetary policy, while innovations to broader monetary aggregates reflect shocks to money demand (Christiano and Eichenbaum, 1992). These assumptions correspond to the overidentifying restrictions \( \phi^d = \phi^b = 0 \). In this case, the monetary policy shock is just the reduce-form innovation in the nonborrowed reserves \( \nu^t = u_{NBR} \).

- **Model 3: NBR/TR (“orthogonalized” nonborrowed reserves)\(^{12}\).** Following Strongin (1995), it is assumed that shocks to total reserves are purely demand shocks\(^ {13}\), \( \alpha = 0 \), and that the central bank doesn’t respond to borrowing shocks, \( \phi^b = 0 \). Thus, these two overidentifying assumptions imply that the monetary policy shocks are given by \( \nu^t = -\phi^d u_{TR} + u_{NBR} \).

- **Model 4: BR (borrowed reserves).** Borrowed-reserves targeting corresponds to the restrictions \( \phi^d = 1, \phi^b = \alpha/\beta \). Alternatively, we can use \( \phi^d = 1, \phi^b = 0, \alpha = 0 \) (so that \( \gamma = 0 \) is possible). In the latter, the implied monetary policy shock is proportional to the negative of the innovation to borrowed reserves \( \nu^t = -(u_{TR} - u_{NBR}) = -u_{BR} \).

- **Model 5: JI (Just-identification).** In order to get a just-identified model, Bernanke and Mihov (1998) consider only \( \alpha = 0 \). In this case, the implied monetary policy shock is a linear combination of the innovations to the three policy variables considered: \( \nu^t = -(\phi^d + \phi^b)u_{JR} + (1 + \phi^b)u_{NBR} + \beta \phi^b u_{BR} \).

\(^{12}\)The name “orthogonalized” comes from the idea that shocks can be identified having total reserves immediately precede nonborrowed reserves in a standard Cholesky decomposition. Thus, the policy shock can be identified as the “orthogonalized” error in the nonborrowed reserves equation.

\(^{13}\)In the short run, the central bank has no choice but to “accommodate” to total reserves shocks, using either open-market operations or the discount window.
Each model presented above is overidentified by one restriction (except Model 4) with respect to equation (12a). Therefore the validity of any model, can be assessed using a test of the overidentifying restrictions. Thus, the rejection of the test\textsuperscript{14} implies the rejection of the model considered.

2.3. Some general criticisms

Christiano, L; Martin Eichenbaum and Charles Evans (1999), or CEE (1999), point out a potential weakness in the identification procedure proposed by Bernanke and Mihov (1998), based on the test of overidentifying restrictions. CEE state that the rejection of the test can always be interpreted as evidence against the maintained hypothesis $\gamma = 0$ with respect to system (9) rather than evidence against one of the identification schemes. Thus, CEE conclude that a rejection of an overidentifying test in this context is not evidence against a given identification schemes mentioned above; this is true only if we have the prior that $\gamma = 0$.

Furthermore, even if it is assumed that $\gamma \neq 0$, CEE points out that there is a problem to test the validity of the restrictions implied by Models 1, 2 and 3, using standard statistical procedures. The reason is that the system (9), where $\gamma \neq 0$, is exactly identified under Model 1, 2 or 3, so an overidentifying restrictions test is not valid. In this case, CEE recommend the comparison of the corresponding impulse-response functions as a strategy to assess the validity of the competing models.

However, CEE’s proposed solution requires implicitly a correct specification of the VAR model, and thus the problem of how many variables should be included in the VAR arises (although this problem is not restricted to CEE’s criticism only). As mentioned in section 1, a way to deal with these data problem is using the Factor-Augmented Vector Autoregression (FAVAR) model, which makes feasible the inclusion of a wide range of economic information into a standard VAR model, through the inclusion of a small number of factors. In the next section we present the key aspects of the FAVAR approach.

\textsuperscript{14} The null hypothesis is that the specified restrictions implied by a particular model are valid (i.e., the specified model is valid).
3. Factor-Augmented Vector Autoregressive (FAVAR) approach

The main feature of the FAVAR approach is that it allows the inclusion of a huge number of variables in the VAR framework, through the use of “factor analysis”. In the next subsection we present briefly the general framework, the estimation and identification of a FAVAR model.\(^{15}\)

3.1. General framework

Let us assume that there are a “small” number \(M\) of observable economic variables that determine the dynamics of the economy, contained in the vector \(Y_t\) (\(M \times 1\)). Then the dynamics of the economy can be analyzed using a Vector Autoregressive (VAR) model of the form:

\[
(13) \quad Y_t = \Phi(L) Y_{t-1} + v_t
\]

where \(\Phi(L)\) is a conformable lag polynomial of order \(d\). However, in many applications, additional economic information not included in \(Y_t\) may be relevant to modelling the dynamics of these series. Let us suppose that this additional information obtained from observed economic variables (time series) is included in a \(N \times 1\) vector \(X_t\), where \(N\) is a large number. Furthermore, assume that this “large” number of “observed” informational variables can be compressed into a “small” number \(K\) of unobserved factors and the “small” number \(M\) of economic variables contained in \(Y_t\), as follows:

\[
(14) \quad X_t = \Lambda^f F_t + \Lambda^y Y_t + e_t, \quad t = 1, \ldots, T
\]

where \(K + M << N\), \(F_t\) is a \(K \times 1\) vector containing the \(K\) unobserved factors, \(\Lambda^f\) is an \(N \times K\) matrix of factor loadings, \(\Lambda^y\) is \(N \times M\), and the \(N \times 1\) vector of error

\(^{15}\) In this section, we follow closely Bernanke et al. (2005)
terms $e_t$ are mean zero and either weakly correlated or uncorrelated\textsuperscript{16}. Equation (14), called “observation equation”\textsuperscript{17}, captures the idea that both $Y_t$ and $F_t$ represent forces that drive the common dynamics of $X_t$, thus, conditional on $Y_t$, the $X_t$ are noisy measures of the underlying unobserved factors $F_t$.\textsuperscript{18} Finally, it is assumed that the joint dynamics of $(F_t, Y_t)$ can be represented by the following transition equation:

$$
(15) \begin{bmatrix}
F_t \\
Y_t
\end{bmatrix} = \Phi(L) \begin{bmatrix}
F_{t-1} \\
Y_{t-1}
\end{bmatrix} + u_t
$$

where again $\Phi(L)$ is a conformable lag polynomial of finite order $d$. The error term $u_t$ is mean zero with covariance matrix $Q$. Bernanke et al. (2005) called equation (15) a \textit{factor-augmented vector autoregressive} or FAVAR model. They interpret the unobserved factors as “diffuse concepts” such as “economic activity” or “credit conditions” which usually are represented by a large number of economic series $X_t$ and not only by one or two economic variables.

As it can be noticed, equation (15) is just a VAR in $(F_t, Y_t)$ which nests the standard VAR represented by equation (13)\textsuperscript{19}. This is very important because if the true system that describes the dynamics of the economy is a FAVAR, estimation of (15) as a standard VAR system in $Y_t$ will involve an \textit{omitted variable bias} problem because of the omission of the “factors”. As a consequence, the estimated VAR coefficients and everything that depends on them -such as impulse-response functions and variance decompositions- will be biased\textsuperscript{20}.

\textsuperscript{16}The final assumption about correlation of errors will depend on whether estimation is by principal components or likelihood methods (Bernanke et al., 2005).

\textsuperscript{17}Note that $Y_t$ and $F_t$ in general can be correlated in this equation.

\textsuperscript{18}Bernanke et al. (2005) observes that equation (2) can be interpreted as including arbitrary lags of the fundamental factors. In this case, Stock and Watson (1998) refer to equation (2) – without observable factors – as a dynamic factor model.

\textsuperscript{19}This system reduces to a standard VAR in $Y_t$ if the terms of $\Phi(L)$ that relate $Y_t$ to $F_{t-1}$ are all zero.

\textsuperscript{20}Furthermore, a FAVAR like (3) provides a way of assessing the marginal contribution of the additional information contained in the factors.
Some examples can be useful to fix the idea of a FAVAR model. Let us assume that the dynamics of the economy can be represented by real output $y_t$, potential output $y^n_t$, inflation $\pi_t$, nominal exchange rate $s_t$ and a nominal interest rate $R_t$. In general, we can say that $[F_t' Y_t]' = [y_t, y^n_t, \pi_t, s_t, R_t]'$. In particular, if we assume that all these variables have an exact empirical measure, then $Y_t' = [y_t, y^n_t, \pi_t, s_t, R_t]'$ and $F_t$ is a null vector. In this case, the dynamics of the economy can be analyzed using a standard VAR model. As another example, if potential output is unobservable (so, it is an unobservable factor), then we have $Y_t' = [y_t, \pi_t, s_t, R_t]'$ and $F_t = [y^n_t]'$. In this second case, the dynamics of the economy can be estimated as a FAVAR but not as a standard VAR, and it would be necessary to use the information in $X_t$ exploiting the relationship between factors and observables given by (14).

3.2. Estimation

If we could “observe” $F_t$, then equation (15) could be estimated as a standard VAR. However, this is not possible because by assumption the factors $F_t$ are unobservable. If we interpret the factors as representing forces that potentially affect many economic variables $X_t$, then it could be possible to infer something about the factors from observations on time series contained in $X_t$ using the relationship between $F_t$, $Y_t$ and $X_t$ given by (14).

The two approaches to estimating equations (14) and (15) provided by Bernanke et al. (2005) are: (i) a two-step principal components approach, and (ii) a single-step Bayesian likelihood approach. The authors mention that both approaches are valid. However, we will concentrate in the first approach appealing to its computational advantage.

---

21 This procedure is analogous to that used in the forecasting exercises of Stock and Watson (2002).
22 According to Bernanke et al. (2005), the two methods differ on many dimensions. A clear advantage of the two-step approach is computational simplicity. However, this approach does not exploit the structure of the transition equation in the estimation of the factors. Whether or not this is a disadvantage depends on how well specified the model is. Then, to assess whether the advantages of jointly estimating the model are worth the computational costs it is necessary to compare the results from the two methods. In their application, the authors mention that the results were very similar.
The two-step principal components approach provides a non-parametric way of uncovering the space spanned by the common components, $C_t = (F_t', Y_t')$, in (14). In the first step, the unobserved factors contained in $F_t$ are estimated, $\hat{F}_t$, and in the second step, the estimated factors $\hat{F}_t$ are used to estimate the FAVAR represented by equation (15).

In the first step, the common components, $C_t$, are estimated using the first $K+M$ principal components of $X_t$. Notice that the estimation of the first step does not exploit the fact that $Y_t$ is observed. However, $\hat{F}_t$ is obtained as the part of the space covered by $\hat{C}_t$ that is not covered by $Y_t$. This “netting” procedure depends on the specific identifying assumption used in the second step.

In the second step, the FAVAR, equation (15), is estimated by standard methods, with $F_t$ replaced by $\hat{F}_t$. As discussed by Stock and Watson, it also imposes few distributional assumptions and allows for some degree of cross correlation in the idiosyncratic error term $e_t$. However, given that the factors are unobserved and what we actually use are “generated factors”, it is necessary to estimate standard errors using bootstrapping procedures, so we can obtain accurate confidence intervals on the impulse response functions.

3.3. Identification

The system (14)-(15) is econometrically unidentified, so cannot be estimated from reduced-form information unless we impose two different sets of restrictions: (a) normalization restrictions on the observation equation (14); and (b) restrictions on the

---

23 As as shown in Stock and Watson (2002), when $N$ is large and the number of principal components used is at least as large as the true number of factors, the principal components consistently recover the space spanned by both $F_t$ and $Y_t$. Another feature of principal components is that it permits one to deal systematically with data irregularities. For example, Bernanke and Boivin (2003) estimate factors in cases in which $X_t$ may include both monthly and quarterly series, series that are introduced mid-sample or are discontinued, and series with missing values.

24 Bernanke et al. (2005) implement a bootstrap procedure based on Kilian (1998), that accounts for the uncertainty in the factor estimation. Note that in theory, when $N$ is large relative to $T$, the uncertainty in the factor estimates can be ignored; see Bai (2002).
transition equation (15) (and potentially on the observation equation) in order to identify
the policy shock.

The first set of restrictions involve restrictions on factors and their coefficients in
equation (14). Under the principal components approach, Bernanke et al. (2005) use the
standard normalization implicit in that approach\(^{25}\): \( C' C/T = I \), where
\[ C' = [(F_t, Y_t), \ldots, (F_T, Y_T)] \]. This normalization implies that \( \hat{C} = \sqrt{T} \hat{Z} \), where \( \hat{Z} \) are the
eigenvectors corresponding to the \( K \) largest eigenvalues of \( XX' \), sorted in descending
order.

The second set of restrictions are intended to identify the structural shocks in the
transition equation. At this stage, we can follow any of the identification procedure
proposed in the literature: (a) recursiveness identification as in Sims (1992), Bernanke
and Blinder (1992), Strongin (1995), Christiano, Eichenbaum and Evans (1999); (b)
structural or contemporaneous, nonrecursive restrictions as in Gordon a Leeper (1994),
Leeper, Sims and Zha (1996), Bernanke and Mihov (1998) and Sims and Zha (1998) or

In their empirical application, Bernanke et al. (2005) treat the monetary policy
instrument \( R_t \) (the federal funds rate in the U.S. economy as stated by the authors) as
observable (the only variable in the vector \( Y_t \)) and other variables, including output and
inflation, as unobservable\(^{26}\). Then, they use a recursive procedure to identify monetary
policy shocks: all the factors entering (15) respond with a lag to changes in the
monetary policy instrument, which is ordered last in the FAVAR. Thus, the innovations
in the federal fund rate can be interpreted as monetary policy shocks.

To be more explicit, they assume implicitly that the true economic structure is
given by:

\(^{25}\) See Bernanke et al. (2005) for an explanation.
\(^{26}\) They compare this baseline specification with others (e.g., output and prices were assumed observable).
However, their results favor the baseline specification.
Equations (16) and (17) define an unrestricted linear dynamic model that allows both contemporaneous values and up to \( q \) lags of any variable to appear in any equation. In particular, \( F_t \) is the vector of unobserved factors (like real activity, unemployment, potential output, among others), and \( R_t \) the federal funds rate, which indicates the stance of monetary policy. Equation (17) predicts current policy stance given current and lagged values of the factors and lagged values of the monetary policy stance, while equation (16) describes a set of structural relationships in the rest of the economy in terms of unobserved factors and the policy stance. The vector \( v^y \) and the scalar \( v^R \) are mutually uncorrelated structural error terms.

In general, the system (16)–(17) is not econometrically identified. However, following Bernanke and Blinder (1992), to identify the dynamic effects of exogenous policy shocks on the elements of \( F_t \) it is sufficient to assume that policy shocks do not affect the given factors within the current period, which means that \( C_0 = 0 \). Under this assumption the system (4)–(5) can be written in VAR format by projecting the vector of dependent variables \([F'_t, Y'_t]\) on \( q \) lags of itself, which in our context is a FAVAR like equation (15):

\[
\begin{bmatrix}
F_t \\
R_t
\end{bmatrix} = \Phi(L) \begin{bmatrix} F_{t-1} \\ R_{t-1} \end{bmatrix} + u_i
\]

As in Bernanke (1986), the structural error terms in equation (1) are premultiplied by a general matrix \( A^y \), so that shocks may enter into more than one equation: hence the assumption that the elements of \( v^y \) are uncorrelated imposes no restriction. According to Bernanke and Blinder (1992), the assumption that the policy shock \( v^R \) is uncorrelated with the elements of \( v^y \) is also not restrictive, because they consider as part of the definition of an exogenous policy shock its independence from contemporaneous economic conditions. Bernanke and Mihov (1998) states that the idea of an exogenous policy shock has been criticized as implying that the Fed randomizes its policy decisions. Although the Fed does not explicitly randomize, it seems reasonable to assert that, for a given objective state of the economy, many random factors affect policy decisions (like personalities and intellectual predilections of the policy-makers, politics, data errors and revisions, among others).
If we “know” $F_i$, we can obtain an estimated series for the exogenous policy shock $\nu^8$, first estimating the FAVAR by standard VAR methods and then implementing a Cholesky decomposition of the covariance matrix (with the policy variable ordered last). In this way, we can obtain the impulse response functions for all the factors and the interest rate in the system with respect to the policy shock, which can be interpreted as the true structural responses to policy shocks. More importantly, the IRFs for any of the variables contained in $X_t$ can be obtain from the linear combination of the IRFs of $[F_i',Y_i']$, where the linear combination will depend on the estimated coefficients of the relationship between $X_t$ and $[F_i',Y_i']$.

Under the recursive assumption about $[F_i',Y_i']$ required for identification, we need an “intermediate step” to obtain the final estimated factors $\hat{F}_i$ that will enter the FAVAR before its estimation. Remember that the “$K+M$” principal components estimated from the whole data set $X$, which is denoted as $\hat{C}(F,X)$, allows to consistently recover “$K+M$” independent, but arbitrary, linear combinations of $F_i$ and $Y_i$ given the observation equation (2). Then, since $Y_i$ is not imposed as an observable component in the first step, any of the linear combinations underlying $\hat{C}(F_i,Y_i)$ could involve the monetary policy instrument $R_i$ that is included in $Y_i$. Thus, it would not be valid to estimate a VAR in $\hat{C}(F_i,Y_i)$ and $Y_i$ (which contains $R_i$) and identify the policy shock recursively. Instead, we must first remove the direct dependence of $\hat{C}(F_i,Y_i)$ on $R_i$, and obtained the final estimated factors $\hat{F}_i$.

Before describing the procedure to estimate the final factor, it is important to classify the data into two categories of variables: “slow-moving” and “fast-moving”. A “slow-moving” variable (e.g., wages) is assumed not to respond contemporaneously to unanticipated changes in monetary policy. However, a “fast-moving” variable (e.g., an asset-price) is allowed to respond contemporaneously to policy shocks\textsuperscript{28}.

\textsuperscript{28} The classification of variables between each category is provided in Appendix 1.
The final factors, which under the recursive identification strategy should not be affected contemporaneously by \( R_t \), can be obtained subtracting \( R_t \) times the associated coefficient from each of the elements of \( \hat{C}(F_t, Y_t) \); however, this strategy requires the knowledge of all linear combinations implicit in \( \hat{C}(F_t, Y_t) \), which is not the case. Given that they are unknown, Bernanke et al. (2005) propose a strategy that consist in estimating their coefficients through a multiple regression of the form \( \hat{C}(F_t, Y_t) = b_c \hat{C}^*(F_t) + b_R R_t + \epsilon_t \), where \( \hat{C}^*(F_t) \) is an estimate of all the common components other than \( R_t \). One way to obtain \( \hat{C}^*(F_t) \), as proposed by Bernanke et al. (2005), is to extract principal components from the subset of slow-moving variables, which by assumption are not affected contemporaneously by \( R_t \). Then, the final estimated factors contained in \( \hat{F}_t \) are constructed as \( \hat{F}_t = \hat{C}(F_t, Y_t) - \hat{b}_R R_t \).

Thus, based on a recursive identification of monetary policy shocks, we can summarised the two-step estimation procedure of a FAVAR model as follows:

**Step 1: Estimation of unobserved factors**

- Extract principal components from “slow-moving” variables, \( \hat{C}^*(F_t) \).
- Run multiple regression of the form \( \hat{C}(F_t, Y_t) = b_c \hat{C}^*(F_t) + b_R R_t + \epsilon_t \).
- Construct the final factors as \( \hat{F}_t = \hat{C}(F_t, Y_t) - \hat{b}_R R_t \)

**Step 2: Estimation of the VAR model**

- Replace \( F_t \) by \( \hat{F}_t \) in the VAR model \[ \begin{bmatrix} F_t \\ Y_t \end{bmatrix} = \Phi(L) \begin{bmatrix} F_{t-1} \\ Y_{t-1} \end{bmatrix} + \begin{bmatrix} u_t \end{bmatrix} \]
- Estimate a VAR in \( \hat{F}_t \) and \( Y_t \) with \( R_t \) ordered last in the vector \( Y_t \), so that Thus, the policy shocks can be recursively identified.\(^{29}\)

Appendix 2 provides the basic codes to perform FAVAR analysis.

\(^{29}\) The joint likelihood estimation only requires that the first \( K \) variables in the data set are selected from the set of “slow-moving” variables and that the recursive structure is imposed in the transition equation. See Bernanke et al. (2005) for details.
4. Semi-structural identification and FAVAR: SS-FAVAR

As pointed out by Bernanke et al. (2005), other identification schemes can be implemented in the FAVAR framework. A recent attempt is provided by Belviso and Milani (2006), who try to identify each factor (as ‘real activity’, ‘price pressures’, ‘financial market sector’, ‘credit sector’, and so on), thus providing an economic interpretation to them.

In the case of Peru, it is not clear which is the monetary policy indicator for the whole sample\(^3\), so the recursive FAVAR approach would not be enough to analyze the effects of monetary policy shocks because it requires a good monetary policy indicator. Thus, we propose a simple extension of the FAVAR framework based on the semi-structural identification procedure \textit{a la} Bernanke and Mihov (1998), which exploits the information of the market for bank reserves.

The starting point is the assumption that we can describe the economy’s structure through the following set of structural equations:

\begin{align*}
F_t &= \sum_{i=0}^{q} B_i F_{t-i} + \sum_{i=0}^{q} C_i Y_{t-i} + A' v_t^y \\
Y_t &= \sum_{i=0}^{q} D_i F_{t-i} + \sum_{i=0}^{q} G_i Y_{t-i} + A' v_t^y
\end{align*}

The system (18)-(19) is the same as the system (16)-(17), except by the fact that now we explicitly consider a vector \( Y_t \) of policy indicators and not only a scalar. Following Bernanke in Mihov (1998), we assume that one element of the vector \( v^y \) is a money supply shock or policy disturbance \( v^s \). Equation (18) allows the factors \( F \) to depend on current and lagged values of \( F \), and on lagged values of \( Y \). This last feature implies that \( C_0 = 0 \), so the system is block identified in a recursive manner. Thus we can rewrite the system (18)-(19) as:

\footnote{Although it is stated in Armas et al. (2001) that the central bank used banking reserves as its operational target since 1994.}
where $\Phi(L)$ is a conformable lag polynomial of finite order “q”. Let $u^y_t$ be the portion of the VAR residuals in the policy block that are orthogonal to the VAR residuals in the nonpolicy block, which satisfies $u^y_t = (I - G_0)^{-1}A^y v^y_t$ or, dropping subscripts and superscripts:

\[(21) \quad u = Gu + Av\]

Thus, (21) is a standard structural VAR (SVAR) system, which relates observable VAR-based residuals $u$ to unobserved structural shocks $v$, one of which is the policy shock $v^p$. This system can be identified using any of the models proposed by Bernanke and Mihov. And given the recursive assumption that $C_0 = 0$ the whole system (18)-(19) can be estimated as a FAVAR model. Thus, FAVAR can be estimated as a VAR in $\hat{F}_t$ and $Y_t$ and the policy shocks can be identified using the structural scheme proposed by Bernanke and Mihov (1998). We call this model semi-structurally identified FVAR or SS-FAVAR.

The estimation procedure for a SS-FAVAR model is similar to the one described in the previous section for a FAVAR model because of the block-recursive assumption in both models. In the case of the SS-FAVAR, the additional feature is that the estimation of the final factors $\hat{F}_t$ will take into account the effect of total reserves and nonborrowed reserves.

Thus, based on a semi-structural identification of monetary policy shocks, we can summarised the two-step estimation procedure of a SS-FAVAR model as follows:

**Step 1: Estimation of unobserved factors**

- Extract principal components from “slow-moving” variables, $\hat{C}^*(F_t)$.
- Run multiple regression of the form:

\[\hat{C}(F_t, Y_t) = b_{c*}\hat{C}^*(F_t) + b_{TR}TR_t + b_{NBR}NBR_t + b_R R_t + e_t.\]
Construct the final factors as \( \hat{\Phi}_t = \hat{C}(\Phi_t, \Psi_t) - \hat{\beta}_{t\tau} T\hat{\tau}_t - \hat{\beta}_{NB\hat{\tau}} N\hat{B}\hat{\tau}_t - \hat{\beta}_R \hat{R}_t \).

**Step 2: Estimation of the VAR model**

- Replace \( \Phi_t \) by \( \hat{\Phi}_t \) in the VAR model

\[
\begin{pmatrix}
F_t \\
Y_t
\end{pmatrix} = \Phi(L) \begin{pmatrix}
F_{t-1} \\
Y_{t-1}
\end{pmatrix} + u_t
\]

- Estimate a VAR in \( \hat{\Phi}_t \) and \( Y_t \), and identify the monetary policy shocks using a semi-structural model *a la* Bernanke and Mihov (1998).
5. Empirical results: identifying monetary policy shocks in Peru

5.1. A brief description of monetary policy in Peru

At the end of the 1980’s, Peruvian economy experienced a period of hyperinflation and high dollarization. After 1991, and based on a economic stabilization program and the liberalization of the economy, the inflation rate and the key macroeconomic variables were improved. In terms of monetary policy, there are two clear monetary policy regimes between 1991 and 2009: (i) monetary targeting regime (1991-2001), and (ii) inflation targeting regime (2002-present). The main goal during the first period was the reduction of inflation to international levels, which was achieved after switching from a fixed exchange regime to a monetary targeting regime, with base money (M0) growth as the intermediate target. Thus, annual inflation rate was reduced from 7.650% in 1990 to almost 10% in 1995 and 3.5% in 2000. However asset dollarization persisted, although at lower levels than in the 1980’s.

In this new context (low inflation a partial dollarization), and given that the base money growth rate became more unpredictable, the central bank adopted an inflation targeting (IT) regime in January 2002. The central bank’s autonomy and operational independence made IT design and implementation feasible (Armas and Grippa, 2005). As a result, between 2002 and 2008, the average inflation rate was 2.4%.

In terms of operational procedures, between 1993 and 2001 the central bank’s operational target was based on banking reserves (Armas et al., 2001; Armas and Grippa, 2005). During this period, the interbank interest rate (analogous to the Fed funds rate in the U.S. economy) was very volatile and determined by market conditions. However, given the low-inflation environment at the end of the 1990’s, the reduction of the interbank interest rate volatility, and the adoption of the inflation targeting regime in January 2002, the operational target changed smoothly towards an interest rate target. Thus, in February 2001, the central bank began to announce a

---

31 This monetary operational target allowed the central bank to separate the effect of a shock into two parts, between the interest rate and the exchange rate (part of the shock could also be absorbed through forex sales). See Armas and Grippa (2005).
32 The use of an interest rate operational target was not desirable at the beginning of the 1990s, when the disinflation process in Peru started. Armas and Grippa (2005) point out that the hyperinflation
benchmark “corridor” for the interbank interest rate but still kept banking reserves targeting until the end of 2001. However, with the adoption of inflation targeting, the benchmark “corridor” was adopted as the operational target. Finally, since September 2003, the operational target is the interbank interest rate, which the central bank tries to keep in the centre of the benchmark corridor. Figure 5.1 shows the evolution of the interbank interest rate and the benchmark “corridor” since 2001. As can be seen from it, the operational target based on the interbank interest rate has been successfully achieved since its adoption.

Based on the above discussion, our empirical analysis considers five samples: April 1995-December 2005 (full sample), April 1995-January 2001 (before the announcement of the benchmark “corridor”), April 1995-December 2001 (before the

environment made communication easier with a monetary target, because the gradual reduction of the base money growth rate was a good indicator of commitment to disinflation. In addition, the high level and variability of expected inflation do not favoured the use of an interest rate operational target: inflation expectations changes would have been a significant noise in the signalling of monetary policy stance. In a low inflation environment, however, monetary targets are less helpful because monetary aggregates tend to be loosely correlated with inflation in the short run. Moreover, it is difficult to communicate the policy stance because changes in the monetary target might be due to expected changes in money demand. In addition, this target does not favour the capital market in domestic currency because the short term interest rate might be too volatile.

33 The benchmark “corridor” for the interbank interest rate is a range determined by a “ceiling” and “floor” interest rate. The ceiling interest rate for the interbank funds market is given by the benchmark interest rate for injection standing facilities. The “floor” interest rate is given by the overnight deposits interest rate.
adoption of inflation targeting), February 2001-December 2005 and January 2002-December 2005. The data was provided by the Central Bank of Peru and is described in Appendix 1.

5.2. Recursive identification in a standard VAR

As a starting point, we first estimate VARs for the full sample which includes the logs of real GDP (LS004), CPI (LS0027) and nominal exchange rate (LS037); the interbank interest rate (S001); and the 12-months moving average of total reserves (S002_ma12) and nonborrowed reserves (S003_ma12). Each VAR corresponds to a different specification of the monetary policy indicator: interbank interest rate, nonborrowed reserves and nonborrowed reserves orthogonal to total reserves. The IRFs are displayed in Figures 5.2-5.4.

Figure 5.2: IRFs using interbank interest rate as monetary policy indicator (recursive identification)

In Figure 5.2 we observe that after an increase in the interbank interest rate, output and prices decrease as expected, but exchange rate increases. Also, narrow monetary aggregates unexpectedly increase initially, and after five months decrease.

34 The results were similar considering 24 and 36 months for the moving average.
In the other two cases (figures 5.3 and 5.4), the “assumed” expansionary monetary policy shock displays unexpected movements in output (orthogonal nonborrowed reserves), prices (both cases), exchange rate (orthogonal nonborrowed reserves) and interest rate (orthogonal nonborrowed reserves). Thus, in terms of the IRFs, these baseline results do not provide a good guidance to choose a relevant monetary policy.
indicator as long as they do not mimic the expected effects of the macroeconomic variables considered\(^{35}\).

### 5.3. SVAR and the market for bank reserves

Table 1 displays the estimation results for Models 1, 2, 3 and 4 as proposed by Bernanke and Mihov (1998) and the corresponding test of overidentifying restrictions. The estimates of \( \phi^d \), which describes the central bank’s propensity to accommodate reserve demand shocks, are around 1 for all subsamples analyzed (Models 3 and 4) and show high statistical significance, implying that the central bank fully accommodates shocks in reserves demands. This result is inconsistent with Model 2, where \( \phi^d = 0 \). There is also evidence that the central bank offsets shocks in the reserve market, as long as \( \phi^b \) is negative and statistically significant. However, in absolute values, the estimates of \( \phi^b \) are much smaller than the estimates of \( \phi^d \), which is consistent with the rejection of Model 1 in all samples.

The estimates of \( \alpha \) and \( \beta \) are positive and statistically significant in all samples (for relevant models), except in the case of Model 2 (nonborrowed reserves) for the samples 2001m2-2005m12 and 2002m1-2005m12. The implied liquidity effect ranges from 25 (Model 1, sample 1995m1-2001m12) to 160 basis points (Model 2, sample 2002m1-2005m12).

Overall, these results show evidence in favour of Model 3 (NBR/TR), and rejects Model 1 (FFR). From Table 1 it can be observed that for all samples, Model 3 (NBR/TR) is not rejected and Model 1 (FFR) is always rejected; and for the last two samples (2001m2-2005m12) Model 2 (NBR) cannot be rejected. However, considering CEE (1999)'s observation about Bernanke and Mihov’s identification procedure, the rejection of FFR can be interpreted as a rejection of the implied assumption \( \gamma = 0 \). Thus, to confirm that Model 3 (NBR/TR) is the best choice with respect to the other models, we need to compare their corresponding impulse-response functions (IRFs) as

\(^{35}\) It is important to mention that analogous results were obtained for different VARs specifications (more and different variables).
suggested. However, this comparison will depend on the non-policy variables to be included in the VAR, a problem we will address using the FAVAR approach.

Table 1: VAR and Structural identification procedure using Bernanke and Mihov scheme

<table>
<thead>
<tr>
<th>Parameter Estimates for Models 1, 2, 3 and 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>Sample</td>
</tr>
<tr>
<td>--------</td>
</tr>
<tr>
<td>1995:5 - 2005:12</td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td>1995:5 - 2001:1</td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td>1995:5 - 2001:12</td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td>2001:2 - 2005:12</td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td>2002:1 - 2005:12</td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
</tbody>
</table>

The estimates come from a three-variable VAR with monthly data. All values in parentheses are p-values, which are below its corresponding parameter estimate. The last column presents p-values from tests of overidentifying restrictions based on the Likelihood Ratio test statistic.

The above results were obtained using VAR models which includes only the three monetary policy indicators\(^{36}\) (interbank interest rate, total reserves and

\(^{36}\) In order to choose the lag length we use five criteria provided by Eviews 5.1: Likelihood ratio (LR), Final Prediction Error (FPE), Akaike information criterion (AIC), Schwarz information criterion (SC) and
nonborrowed reserves). But after some conventional key macroeconomic variables (e.g., GDP, CPI, exchange rate and others) were included in the VAR, the overidentifying tests did not provide the same results in all cases considered. Also, the implied IRF’s of a given identification scheme were not quite similar for various VAR specifications. Thus, as explained in section 2 and 3, a FAVAR approach seems plausible at this step.

5.4. Results using FAVAR and recursive identification

In this section we apply FAVAR approach to identify and analyze the effect of monetary policy shocks in Peru. As a baseline for further discussion, we analyze the results using the recursive ordering proposed by Bernanke at al. (2005), taking the interbank interest rate as the monetary policy indicator. Then in subsequent sections, we extend the FAVAR analysis using the semi-structural identification extension proposed.

Assuming that the interbank interest rate is a good indicator of monetary policy in Peru, the estimation of a FAVAR model will provide an estimation of the monetary policy shock and the corresponding impulse-response functions for all the indicator variables contained in \( X \). For this purpose, we assume that there is only one observable variable (the interbank interest rate), a reasonable number of factors, and we use the recursive identifying assumption that the unobserved factors do not respond contemporaneously to shocks to the interbank interest rate.

Hannan-Quinn information criterion (HQ). In general, these criteria provided different results, but almost always suggested from 1 to 3 lags. The relevant results using either 1, 2 or 3 lags remain the same. Thus, in order to standardize the analysis, the results reported are based on VARs with one lag.  
37 We don’t report these results because of space (and time as well).  
38 Given the recent Peruvian experience, the interbank interest rate could be considered as a good monetary policy indicator – and its disturbance as monetary policy shocks – only after the announcement of a benchmark “corridor” of interest rates and the implementation of the inflation targeting regime. However, the results will be considered as a good benchmark for discussion.
Figure 5.5: FAVAR’s IRFs using recursive identification (1995-2005)
Given a negative (contractionary) monetary policy shock, the following effects are expected\textsuperscript{39}: an increase in all interest rates (LS043, LS044, LS049), and a decrease in real activity (LS004), employment indicators (LS023, LS026), prices (LS027, LS028), stock prices (LS032), nominal and real exchange rates (LS037, LS039), monetary aggregates (LS065, LS066, LS078) and credit (LS075, LS076). Figures 5.5 and 5.6 displays the FAVAR’s IRFs corresponding to an increase in the interbank interest rate (that tries to simulate a restrictive monetary policy shock), for the full sample (1995-2005) and the inflation targeting sample (2002-2005)\textsuperscript{40}.

For the full sample, the IRFs seem to correspond to a contractionary monetary policy shock. However, for the inflation targeting sample, the response of exchange rates (LS037, LS039), lending rate (LS043) and banking credit to the private sector (LS075), are not as expected.

\textsuperscript{39} See Christiano at al. (1999).

\textsuperscript{40} The results presented in the paper correspond to FAVARs with 3 factors (which accounted for almost 95 percent of the variation in the 83 indicator variables considered) and 3 observed variables (interbank interest rate, total reserves and nonborrowed reserves). For robustness, we estimated different FAVAR specifications (considering different number of factors and observed variables), obtaining the same main results.
Figure 5.6: FAVAR’s IRFs using recursive identification (2002-2005)
5.5. Results using FAVAR and semi-structural identification

Table 2 presents the results of the FAVAR model identified using the Bernanke and Mihov procedure.

Table 2: FAVAR and Structural identification procedure using Bernanke and Mihov scheme

<table>
<thead>
<tr>
<th>Sample</th>
<th>Model</th>
<th>Model</th>
<th>α</th>
<th>β</th>
<th>φd</th>
<th>φb</th>
<th>Tests For Overid. Restrictions</th>
</tr>
</thead>
<tbody>
<tr>
<td>1995:5 - 2005:12</td>
<td>FFR</td>
<td>0.0031</td>
<td>0.0020</td>
<td>1</td>
<td>-1</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR</td>
<td>0.0850</td>
<td>0.0011</td>
<td>0</td>
<td>0</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR/TR</td>
<td>00</td>
<td>0.0536</td>
<td>1.1880</td>
<td>0</td>
<td>0.90</td>
<td></td>
</tr>
<tr>
<td></td>
<td>JI</td>
<td>00</td>
<td>0.0355</td>
<td>1.1884</td>
<td>0</td>
<td>0.29</td>
<td></td>
</tr>
<tr>
<td>1995:5 - 2001:1</td>
<td>FFR</td>
<td>0.0013</td>
<td>0.0025</td>
<td>1</td>
<td>-1</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR</td>
<td>0.0400</td>
<td>0.0016</td>
<td>0</td>
<td>0</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR/TR</td>
<td>00</td>
<td>0.0519</td>
<td>1.2025</td>
<td>0</td>
<td>0.07</td>
<td></td>
</tr>
<tr>
<td></td>
<td>JI</td>
<td>00</td>
<td>0.0012</td>
<td>1.4047</td>
<td>0.17</td>
<td>0.33</td>
<td></td>
</tr>
<tr>
<td>1995:5 - 2001:12</td>
<td>FFR</td>
<td>0.0021</td>
<td>0.0022</td>
<td>1</td>
<td>-1</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR</td>
<td>0.0400</td>
<td>0.0001</td>
<td>0</td>
<td>0</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR/TR</td>
<td>00</td>
<td>0.0501</td>
<td>1.1991</td>
<td>0</td>
<td>0.17</td>
<td></td>
</tr>
<tr>
<td></td>
<td>JI</td>
<td>00</td>
<td>0.0012</td>
<td>1.3312</td>
<td>0.03</td>
<td>0.03</td>
<td></td>
</tr>
<tr>
<td>2001:2 - 2005:12</td>
<td>FFR</td>
<td>0.0073</td>
<td>0.0059</td>
<td>1</td>
<td>-1</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR</td>
<td>0.1071</td>
<td>0.0006</td>
<td>0</td>
<td>0</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR/TR</td>
<td>00</td>
<td>0.1334</td>
<td>0.9669</td>
<td>0</td>
<td>0.83</td>
<td></td>
</tr>
<tr>
<td></td>
<td>JI</td>
<td>00</td>
<td>0.0888</td>
<td>0.9676</td>
<td>0.0028</td>
<td>0.032</td>
<td></td>
</tr>
<tr>
<td>2002:1 - 2005:12</td>
<td>FFR</td>
<td>0.0209</td>
<td>0.0186</td>
<td>1</td>
<td>-1</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR</td>
<td>0.2546</td>
<td>0.0057</td>
<td>0</td>
<td>0</td>
<td>0.00</td>
<td></td>
</tr>
<tr>
<td></td>
<td>NBR/TR</td>
<td>00</td>
<td>0.3703</td>
<td>0.9925</td>
<td>0</td>
<td>0.03</td>
<td></td>
</tr>
<tr>
<td></td>
<td>JI</td>
<td>00</td>
<td>0.2492</td>
<td>0.9670</td>
<td>0.0141</td>
<td>0.018</td>
<td></td>
</tr>
</tbody>
</table>

The estimates come from a three-factor FAVAR with monthly data. All values in parentheses are p-values, which are below its corresponding parameter estimate. The last column presents p-values from tests of overidentifying restrictions based on the Likelihood Ratio test statistic.

As it was observed in Table 1, the estimates of $\phi^d$ are around 1 for all subsamples analyzed (Models 3 and 4) and show high statistical significance, implying that the central bank fully accommodates shocks in reserves demand. However, the estimates of $\phi^b$ (only in Model 4) are very low (in some cases positive) and statistically
no significant, meaning that the central bank does not offset shocks in the reserve market.

The estimates of $\alpha$ and $\beta$ are mostly positive and statistically significant in all samples and relevant models. However, in the case of Model 2 (nonborrowed reserves) $\beta$ is not statistically significant for all samples (except the whole sample). The implied liquidity effect (considering Model 1) ranges from 25 (sample 2002m1-2005m12) to 260 basis points (sample 1995m5-2001m1).

Then, unlike Table 1, the results presented in Table 2 show evidence only in favour of Model 3 (NBR/TR). First, the test of overidentifying restrictions cannot be rejected for this model in all samples considered. Second, the estimates of $\phi^b$ in Model 4 (JI) are statistically not significant for all samples.

Furthermore, Model 3 (NBR/TR) is consistent with the evolution of monetary policy in Peru described in section 5.1, at least until September 2003, in which the Central Bank of Peru announce the use of the interbank interest rate as its operational target. This conjecture is supported by the results displayed in Table 3, where Model 3 (NBR/TR) cannot be rejected considering data just before August 2003.

Table 3: FAVAR and Structural identification procedure using Bernanke and Mihov’s scheme

<table>
<thead>
<tr>
<th>Model</th>
<th>$\alpha$</th>
<th>$\beta$</th>
<th>$\phi^d$</th>
<th>$\phi^b$</th>
<th>Tests For Overid. Restrictions</th>
</tr>
</thead>
<tbody>
<tr>
<td>FFR</td>
<td>0.0026</td>
<td>0.0026</td>
<td>1</td>
<td>-1</td>
<td>0.00</td>
</tr>
<tr>
<td></td>
<td>(0.0000)</td>
<td>(0.0000)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>NBR</td>
<td>0.3320</td>
<td>0.0003</td>
<td>0</td>
<td>0</td>
<td>0.00</td>
</tr>
<tr>
<td></td>
<td>(0.5823)</td>
<td>(0.3384)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>NBR/TR</td>
<td>0</td>
<td>0.0520</td>
<td>1.2053</td>
<td>0</td>
<td>0.49</td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.0000)</td>
<td>(0.0000)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>JI</td>
<td>0</td>
<td>0.0340</td>
<td>1.1986</td>
<td>-0.0416</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.0000)</td>
<td>(0.0000)</td>
<td>(0.0674)</td>
<td></td>
</tr>
</tbody>
</table>
There remains the possibility that the rejection of FFR and NBR models can be interpreted as a rejection of the implied assumption $\gamma = 0$ (CEE, 1999). Thus, to confirm that Model 3 (NBR/TR) is the best choice with respect to the other models (given the data at hand), we need to compare their corresponding impulse-response functions (IRFs) as suggested by CEE (1999).

Figure 5.7 show the FAVAR’s impulse-response functions based on the structural identification of the monetary policy shocks corresponding to Model 3 (NBR/TR); Figures I, II and III in Appendix 2 display the IRFs corresponding to the remaining models\(^{41}\).

An inspection of the IRFs associated to Model 3 (Figure 5.7) suggests that responses are consistent with the expected effects of an expansionary monetary policy shock. Real output (LS004) increases by almost three times the increase observed in employment indicators. CPI and core CPI (LS027, LS028) increase as well as stock prices (LS032), exchange rates (LS037, LS039), base money (LS078), currency (LS065), money (LS066) and credit aggregates (LS075, LS076). However, it is not clear the expected effect on the dollarization ratio\(^{42}\); in this case, the IRFs show that an expansionary monetary policy tends to increase dollarization ratios (LS057, LS061). Unlike this results, the IRFs for Models 1 and 2 display many inconsistencies. Thus, empirical evidence for the case of Peru tends to support Model 3 (NBR/TR) for the identification and analysis of monetary policy shocks.

Finally, we can observe that for the full sample the shape of the IRFs corresponding to Model 3 (NBR/TR) are similar to the baseline IRFs (Figure 5.5) based on recursive identification. However, for different subsamples they differ\(^{43}\). In particular, for samples ending before September 2003, IRFs associated to Model 3 outperform the ones corresponding to the baseline FAVAR. And for samples beginning after the first announcement of the benchmark “corridor”, the baseline IRFs outperform their competitors.

\(^{41}\) Confidence bands were constructed using standard bootstrapping techniques.
\(^{42}\) However, the IRFs are the same as the baseline results presented in section 5.4.
\(^{43}\) We have not include these IRF to avoid an excessive number of figures.
Figure 5.7: FAVAR’s IRFs for NBR/TR Model
6. Conclusions

The main purpose of the present paper was to contribute to the discussion about the analysis of the effects of monetary policy shocks in Peru, incorporating two main issues that have hampered the analysis of the effects of monetary policy shocks using VAR models: (i) the difficulty in identifying the most appropriate indicator of monetary policy stance and thus identifying monetary policy shocks, and (ii) the correct specification of the empirical model, which is restricted by the limited number of variables that can be included in a standard VAR.

First, we have applied the Factor-Augmented Vector Autoregressive (FAVAR) approach and explored the implications of abandoning the recursive identification assumption within this framework, incorporating the “semi-structural” identification procedure proposed by Bernanke and Mihov (1998). Our results suggest that this extension may contribute to the analysis of the effects of monetary policy shocks. In the case of Peru, the “ortogonalized” nonborrowed reserves model is a good description of the Peruvian central bank’s operating procedures before the use of an official interest rate as the explicit monetary policy instrument (1995-2003). In particular, the results show that "ortogonalized" innovations to nonborrowed reserves are identified as monetary policy shocks.
References


All data were provided by the Central Bank of Peru. The sample runs from April 1995 until December 2005, except for total reserves and nonborrowed reserves (1994-2005). The first column displays the classification of the series; second and third columns display “short” and “extended” names of each series. The last column indicates the transformations apply to each series to compute principal components, according to the following codes: “1” no transformation; “2” first difference; “3” twelve-months moving average; “4” logarithm; “5” first difference of logarithm. An asterisk “*” indicates that the variables was seasonally adjusted (using Census X12).

<table>
<thead>
<tr>
<th>Monetary policy indicators</th>
<th>s001</th>
<th>Interbank interest rate</th>
<th>1</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>s002</td>
<td>Total Reserves</td>
<td>3</td>
</tr>
<tr>
<td></td>
<td>s003</td>
<td>Nonborrowed Reserves</td>
<td>3</td>
</tr>
<tr>
<td>Real output and income</td>
<td>s004</td>
<td>GDP (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td>(slow-moving variables)</td>
<td>s005</td>
<td>Primary Sectors gross value added (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s006</td>
<td>Non-primary Sectors gross value added (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s007</td>
<td>Domestic Demand Indicator (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s008</td>
<td>Agriculture and Livestock (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s009</td>
<td>Agriculture (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s010</td>
<td>Livestock (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s011</td>
<td>Fishing (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s012</td>
<td>Mining and fuel (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s013</td>
<td>Metals (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s014</td>
<td>Fuel (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s015</td>
<td>Manufacturing (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s016</td>
<td>Manufacturing based on raw materials (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s017</td>
<td>Non Primary Manufacturing (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s018</td>
<td>Construction (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s019</td>
<td>Commerce (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s020</td>
<td>Electricity and water (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s021</td>
<td>Other services (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td>Employment and hours</td>
<td>s022</td>
<td>Gross Value Added (index 1994=100)</td>
<td>5 *</td>
</tr>
<tr>
<td>(slow-moving variables)</td>
<td>s023</td>
<td>Lima employment index, 100 and more workers.</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s024</td>
<td>Lima employment index, 100 and more workers.-Manufacturing</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s025</td>
<td>Lima employment index, 100 and more workers. -Commerce</td>
<td>5 *</td>
</tr>
<tr>
<td></td>
<td>s026</td>
<td>Lima employment index, 100 and more workers. -Services</td>
<td>5 *</td>
</tr>
<tr>
<td>Price indexes</td>
<td>s027</td>
<td>Lima CPI (Dec. 2001=100)</td>
<td>5</td>
</tr>
<tr>
<td>(slow-moving variables)</td>
<td>s028</td>
<td>Lima Core CPI (Dec. 2001=100)</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s029</td>
<td>Lima non-tradables CPI (Dec. 2001 = 100)</td>
<td>5</td>
</tr>
<tr>
<td>Stock prices</td>
<td>s030</td>
<td>Lima core CPI (Dec. 2001 = 100)</td>
<td>5</td>
</tr>
<tr>
<td>(fast-moving variables)</td>
<td>s031</td>
<td>Lima S.E. General Index (Dec. 1991=100)</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s032</td>
<td>Lima S.E. Selective General Index (Dec. 1991=100)</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s033</td>
<td>Lima S.E. Market capitalization (mill. S.)</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s034</td>
<td>Stock Exchange Trading Volume Equities (mill. S.)</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s035</td>
<td>Stock Exchange Trading Volume Fixed-income Instruments (mill. S.)</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s036</td>
<td>Lima S.E. Market capitalization (mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>Exchange rates</td>
<td>s037</td>
<td>Banking nominal exchange rate (Nuevo Sol per Dollar) - Ask</td>
<td>5</td>
</tr>
<tr>
<td>(fast-moving variables)</td>
<td>s038</td>
<td>Multilateral Real Exchange Rate Index (Base: 1994)</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s039</td>
<td>Bilateral Real Exchange Rate Index (Base: 1994)</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s040</td>
<td>Banking Nominal Exchange Rate (Average Period) Bid</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s041</td>
<td>InterBanking Nominal Exchange Rate - (Average Period) Bid</td>
<td>5</td>
</tr>
<tr>
<td></td>
<td>s042</td>
<td>InterBanking Nominal Exchange Rate - (Average Period) Ask</td>
<td>5</td>
</tr>
<tr>
<td>Interest rates</td>
<td>s043</td>
<td>Average Lending Interest Rate (Domestic Currency - Annual effective rates)</td>
<td>1</td>
</tr>
<tr>
<td>(fast-moving variables)</td>
<td>s044</td>
<td>Average Deposit Interest Rate (Domestic Currency - Annual effective rates)</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>s045</td>
<td>Average Lending Interest Rate (Foreign Currency, US$ - Annual effective rates)</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>s046</td>
<td>Average Deposit Interest Rate (Foreign Currency, US$ - Annual effective rates)</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>s047</td>
<td>Effective Savings Interest Rates in domestic currency</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>s048</td>
<td>Effective Savings Interest Rates in foreign currency</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>s049</td>
<td>Interest rate of BCRP’s certificates (stock)</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>s050</td>
<td>Other rates</td>
<td>1</td>
</tr>
</tbody>
</table>
### Money, credit and other quantity aggregates

<table>
<thead>
<tr>
<th>Code</th>
<th>Description</th>
<th>Frequency</th>
</tr>
</thead>
<tbody>
<tr>
<td>s051</td>
<td>Total Broad Money of financial System (mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s052</td>
<td>Broad Money of Financial System (mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s053</td>
<td>Broad Money of Financial System US$ (mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>s054</td>
<td>Money of Financial System (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s055</td>
<td>Quasi-Money of Financial System - Pension Funds (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s056</td>
<td>Quasi-Money of Financial System - Savings in Local Currency (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s057</td>
<td>Dollarization Ratio (Financial System, %)</td>
<td>5</td>
</tr>
<tr>
<td>s058</td>
<td>Total Broad Money of Banking System (mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s059</td>
<td>Broad Money in Domestic Currency of Banking System (mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s060</td>
<td>Broad Money in Foreign Currency of Banking System (mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>s061</td>
<td>Dollarization Ratio (Banking System, %)</td>
<td>5</td>
</tr>
<tr>
<td>s062</td>
<td>Currency of Banking System (mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s063</td>
<td>Money of the Banking System (mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s064</td>
<td>Quasi-money in domestic currency of Banking System (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s065</td>
<td>Currency of Banking System (average - mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s066</td>
<td>Money of Banking System (average - mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s067</td>
<td>Quasi-Money of Banking System (average - mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s068</td>
<td>Total Broad Money of Banking System (average - mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s069</td>
<td>Broad Money in Domestic Currency of Banking System (average - mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s070</td>
<td>Broad Money in Foreign Currency of Banking System (average - mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>s071</td>
<td>Total Credit of the Financial System to the Private Sector (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s072</td>
<td>Credit of the Financial System to the Private Sector in Domestic Currency (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s073</td>
<td>Credit of the Financial System to the Private Sector in Foreign Currency (mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>s074</td>
<td>Total Credit of the Banking System to the Private Sector (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s075</td>
<td>Credit of the Banking System to the Private Sector in Domestic Currency (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s076</td>
<td>Credit of the Banking System to the Private Sector in Foreign Currency (mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>s077</td>
<td>Monetary Base (Stocks - mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s078</td>
<td>Monetary Base (average - mill. S/.)</td>
<td>5 *</td>
</tr>
<tr>
<td>s079</td>
<td>Stocks of BCRP Certificates of Deposit (CDR) (mill. S/.)</td>
<td>5</td>
</tr>
<tr>
<td>s080</td>
<td>Net International Reserves (mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>s081</td>
<td>Gross International Reserves (mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>s082</td>
<td>Foreign Exchange Operations (mill. US$)</td>
<td>5</td>
</tr>
<tr>
<td>s083</td>
<td>Net International Position (mill. US$)</td>
<td>5</td>
</tr>
</tbody>
</table>
Appendix 2

Figure I: FAVAR’s IRFs for JI Model
Figure II: FAVAR's IRFs for NBR Model
Figure III: FAVAR’s IRFs for FFR Model using interbank interest rate